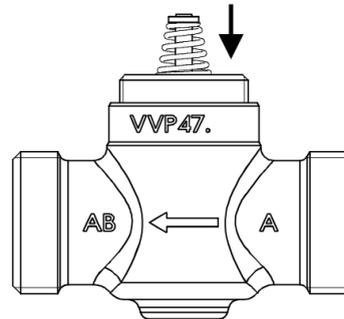


Improving the air conditioning

Internship work of Erwan Le Dœuff

Félix Faisant, group seminar 26/09/2022

- Siemens system. Air cooled by water at $\sim 11^\circ\text{C}$ through heat exchanger
- Flow of water controlled by a valve (normally closed, 2.5 mm course)



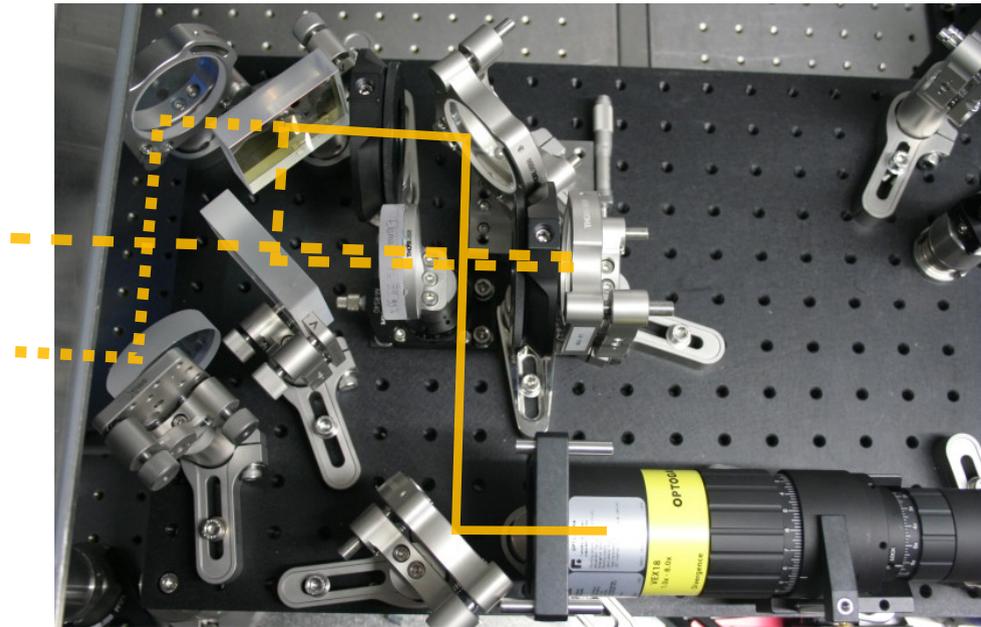
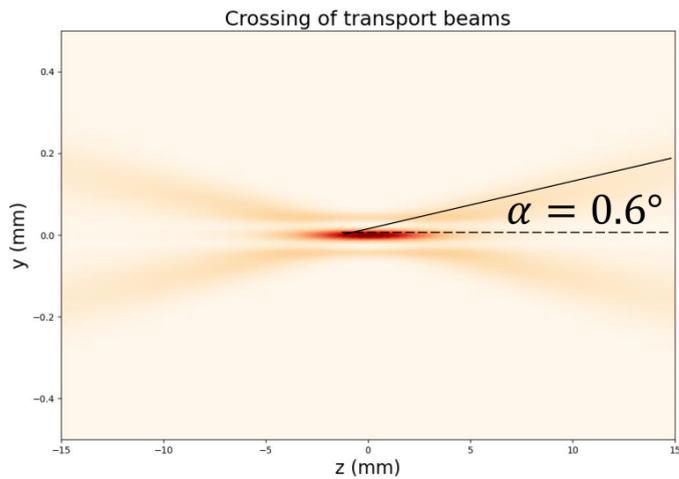
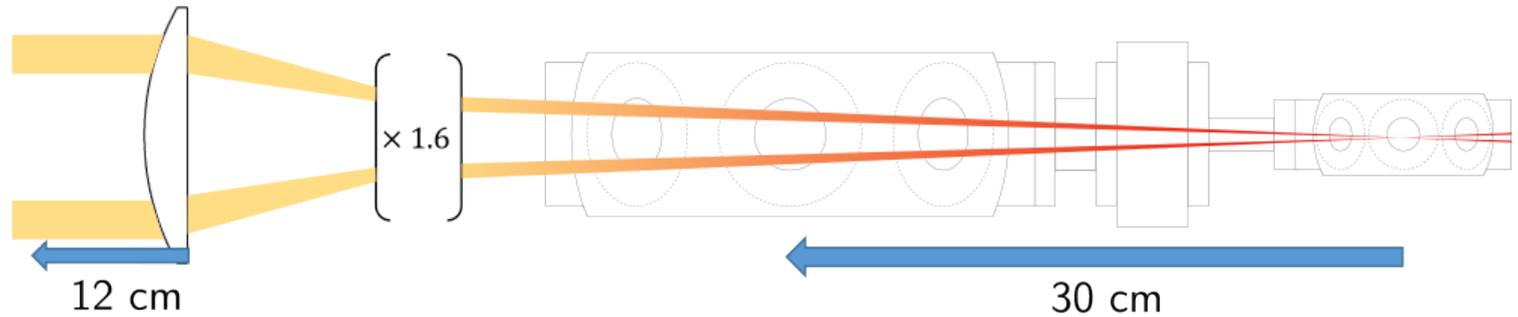
- Itself controlled by an actuator. By default, **electrothermal** actuator (STP73, slow: 0.01 mm/s, full course takes 180 s, PWM 24 V \sim). Much better solution : **servomotor** actuator (SSP61, fast: 0.07 mm/s, full course takes 34 s, signal 0–10 V $_{\text{DC}}$).



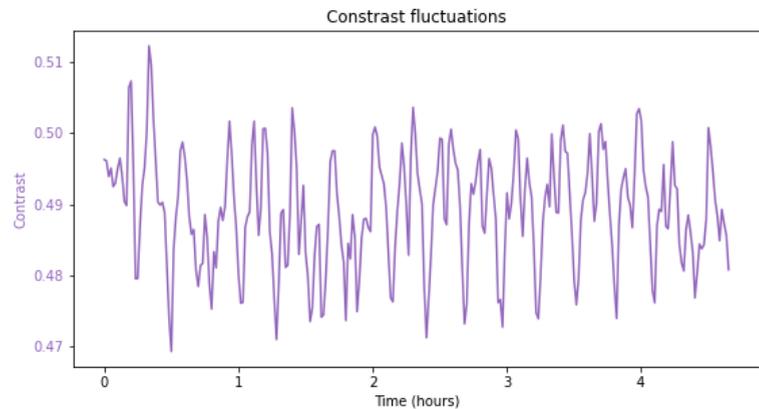
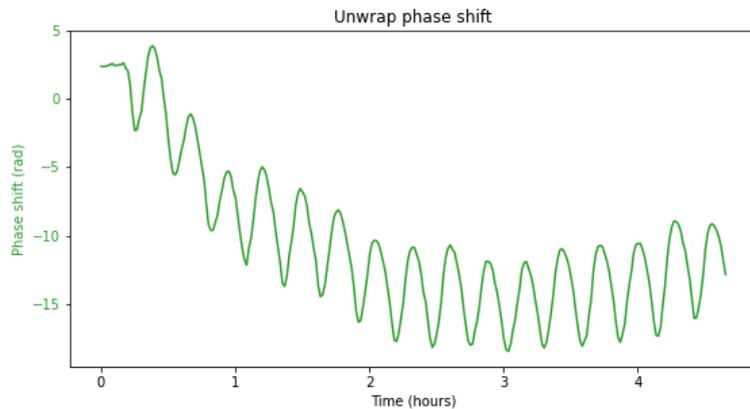
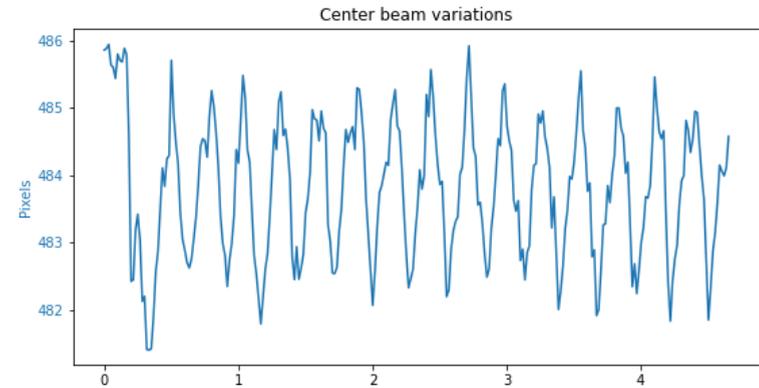
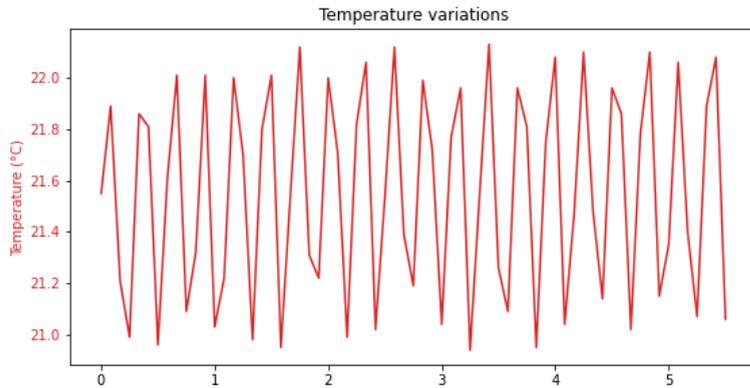
STP..3..



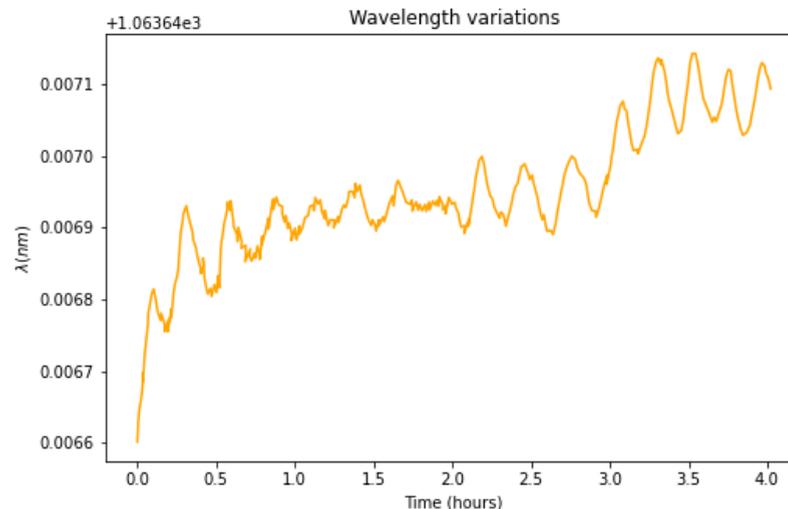
- Transport from MOT chamber to science chamber : crossed, interfering ODT tweezers



- Transport from MOT chamber to science chamber : crossed, interfering ODT tweezers
- Interferometric stability required on a scale of $\gtrsim 1$ h (+ pointing stability)
- Depending on the specific configuration and alignment, phase sensitive to temperature fluctuations (2020 data) :



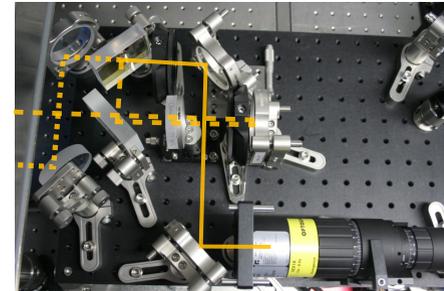
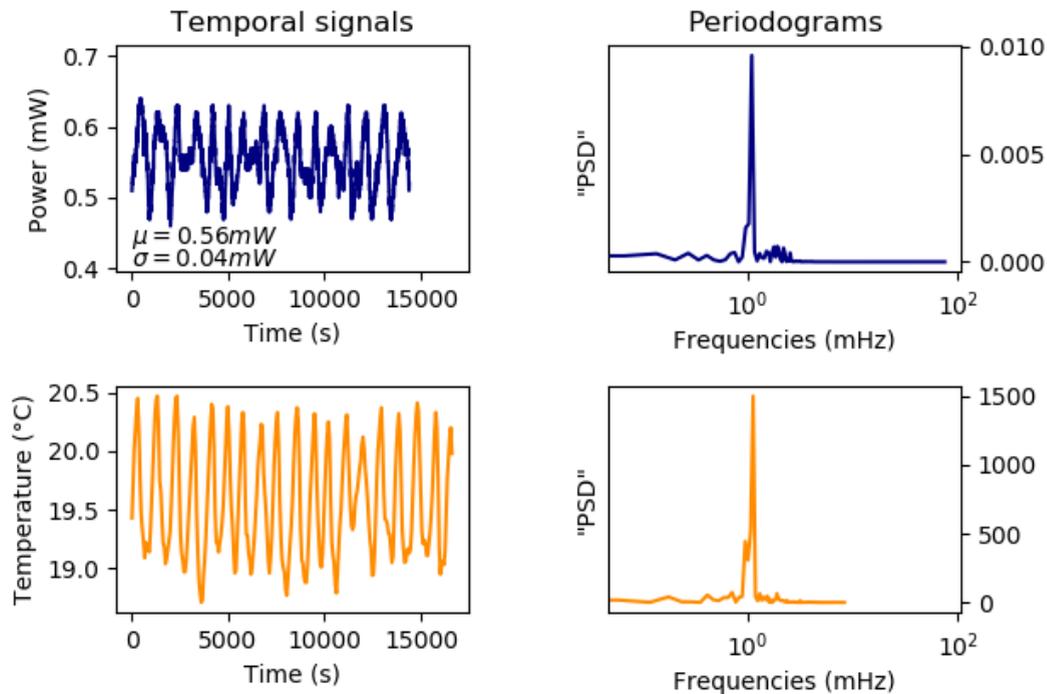
- Transport from MOT chamber to science chamber : crossed, interfering ODT tweezers
- Interferometric stability required on a scale of $\gtrsim 1$ h (+ pointing stability)
- Depending on the specific configuration and alignment, phase sensitive to temperature fluctuations.
- 1064nm lasers wavelength :



$$\Delta\phi = \frac{\Delta L}{\lambda} \quad \Rightarrow \quad d(\Delta\phi) = -\frac{\Delta L}{\lambda^2} d\lambda = \boxed{0.1 \text{ rad}} \quad \left(\begin{array}{l} d\lambda = 0.0001 \text{ nm} \\ \Delta L = 20 \text{ cm} \end{array} \right)$$

- Transport from MOT chamber to science chamber : crossed, interfering ODT tweezers
- Interferometric stability required on a scale of $\gtrsim 1$ h (+ pointing stability)
- Also critical: high-power 1064nm fiber injection and polarization :

Laser + fiber + TFP after stabilization
(20W for 4h)



- In our room, we have short- and long-term temperature stability issues :

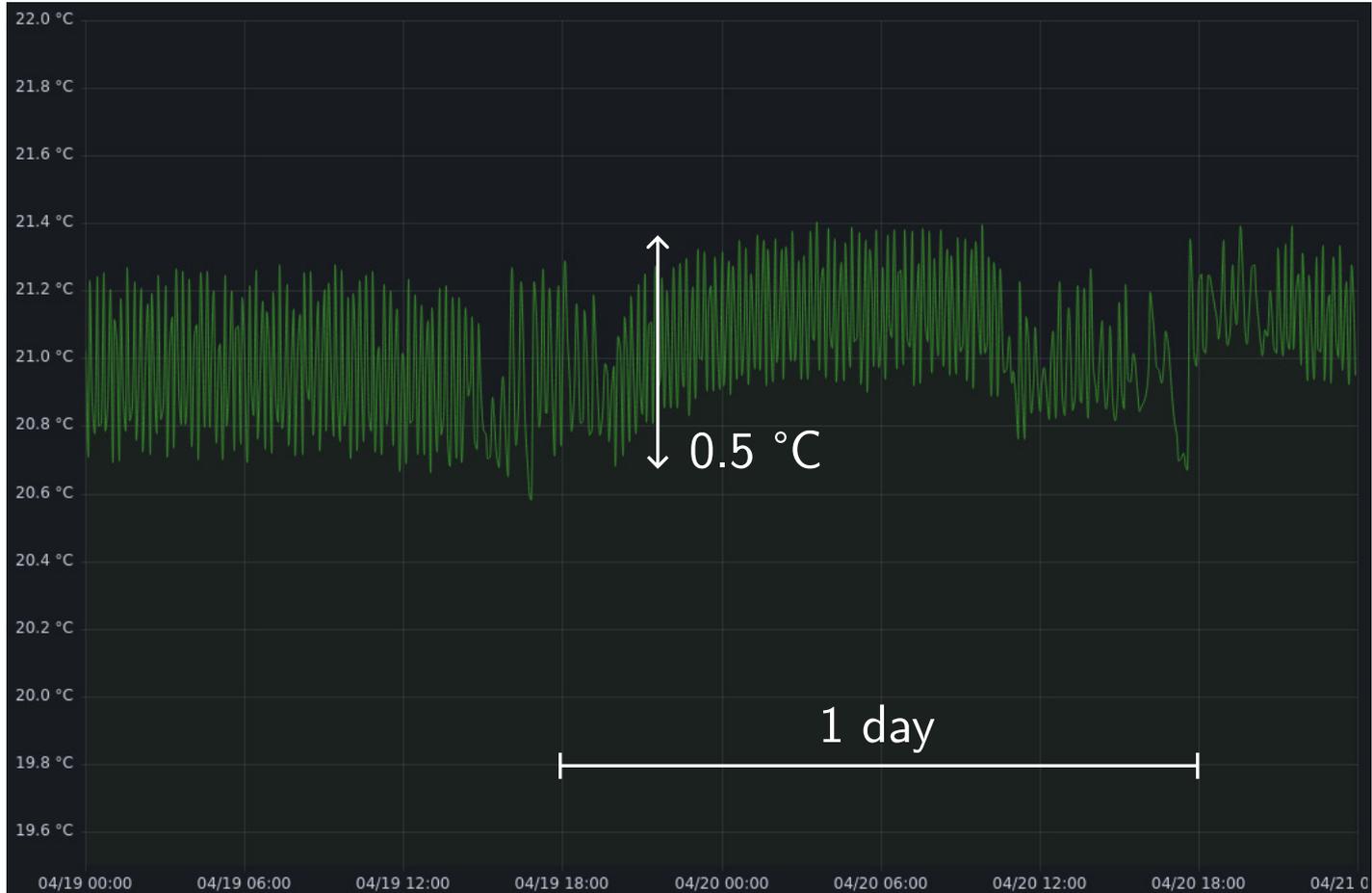


Figure. Short-term oscillations (typ. 15 min) (science table)

- In our room, we have short- and long-term temperature stability issues :

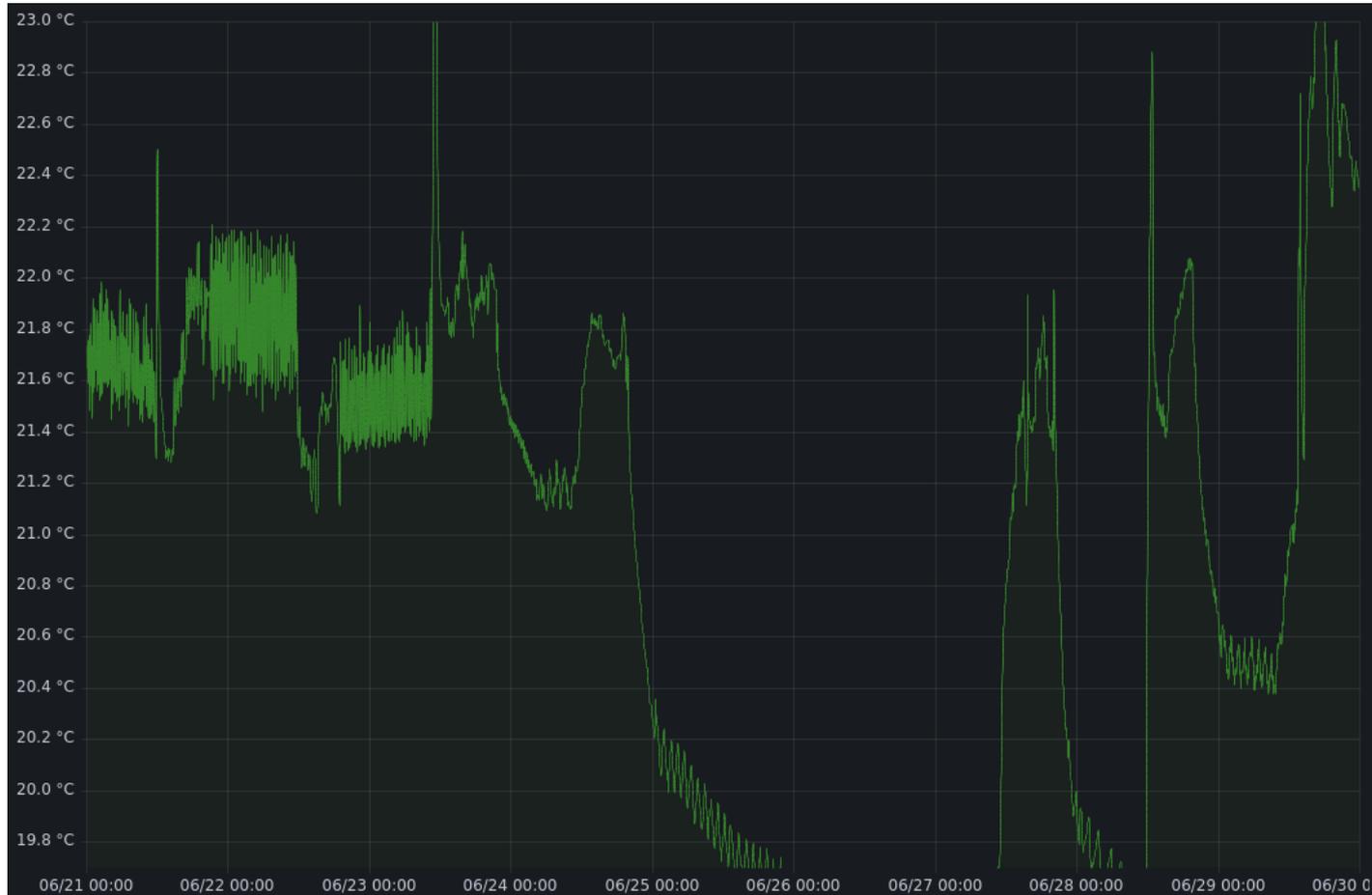


Figure. Long-term instability, worst case (new controller, 9 days) (science table)

- In our room, we have short- and long-term temperature stability issues.
- Sometimes, looks like there is **no regulation at all**...
- Not all lab rooms seem to have this issue. Temperature was stable in 2017.
- Seems that the behavior depends on **thermal load** and inertia in the room.

- Changing temperature setpoint (by *a lot*)
- Changing the probe position in the room (in/out of the boxes)
- Changing air speed
- Partially closing the manual cold water valve
- Changing the actuator
- Changing the controller
- We can't change regulation/PID settings
- ...

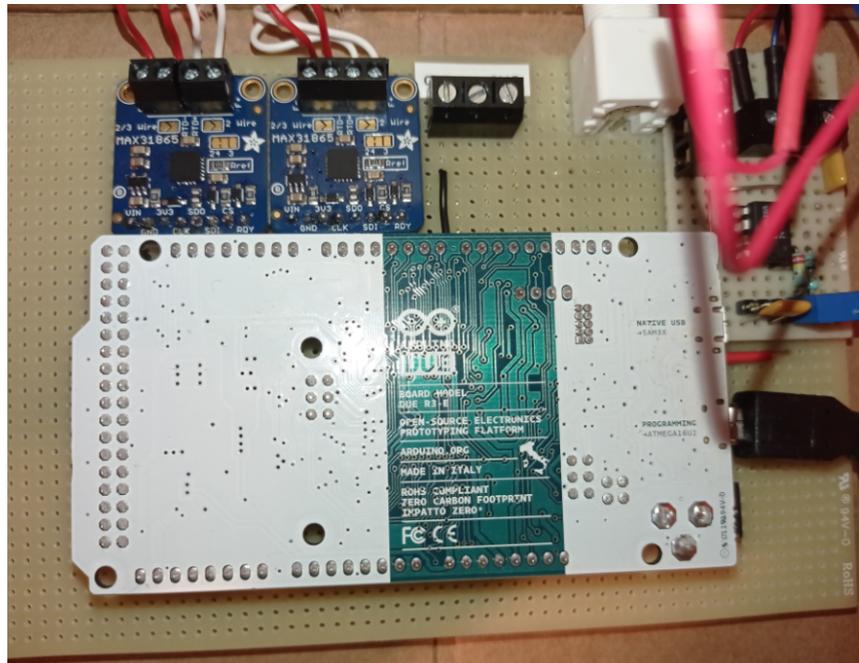
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- Changing air speed
- Partially closing the manual cold water valve
- Changing the actuator
- Changing the controller
- We can't change regulation/PID settings
- ...

→ Nothing (or not much)

- Room temperature (PT100) → PID → Servomotor 0–10 V_{DC}. Siemens controller → 

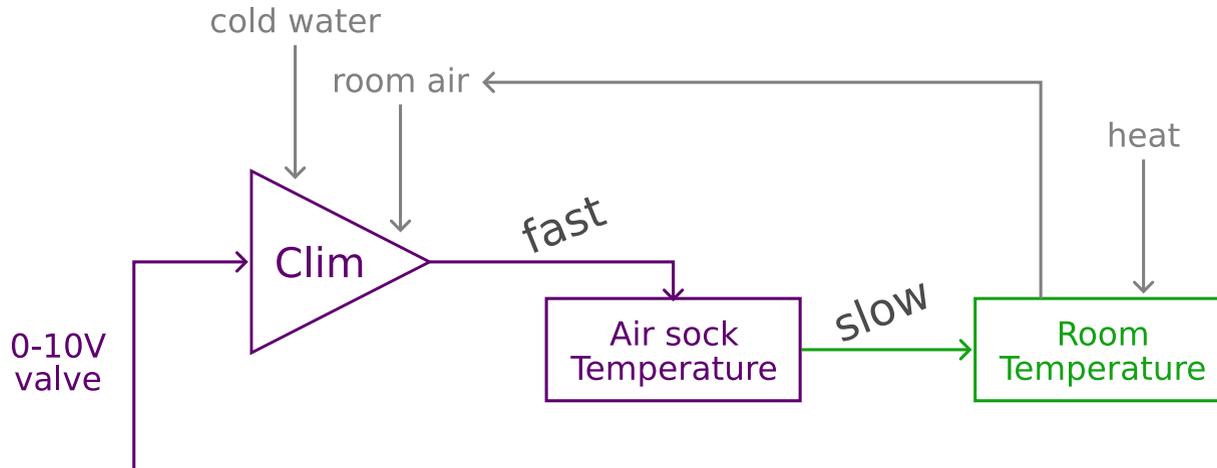
- Room temperature (PT100) → PID → Servomotor $0-10 V_{DC}$. Siemens controller → 
- Two implementations :
 1. With one of our desktop computer :
Picolog temperature logger → InfluxDB → Python script PID → USB DAC → $0-10 V$

- Room temperature (PT100) → PID → Servomotor 0–10 V_{DC}. Siemens controller → 
- Two implementations :
 1. With one of our desktop computer :
Picolog temperature logger → InfluxDB → Python script PID → USB DAC → 0–10 V
 2. With a standalone Arduino Due :
PT100 Arduino modules → Arduino script PID → internal DAC → 0–10 V



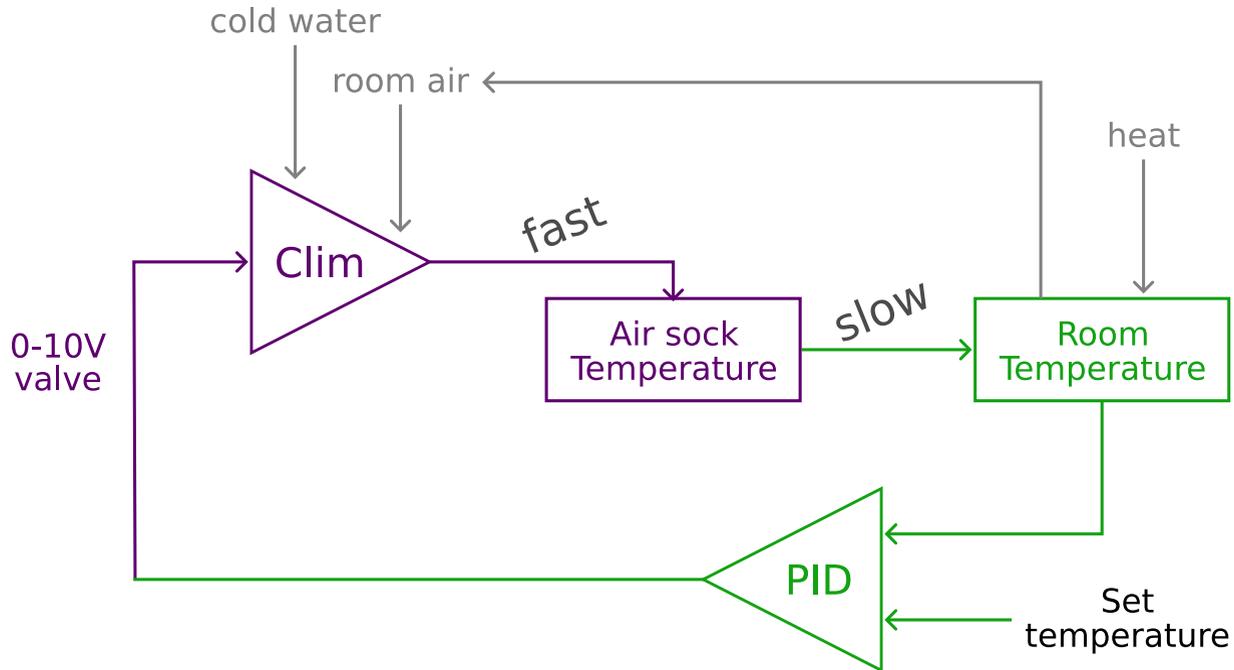
→ General rule in regulation theory : *act / reject perturbations as early as possible.*

Lower delays/ τ 's \Rightarrow Faster/tighter feedback allowed



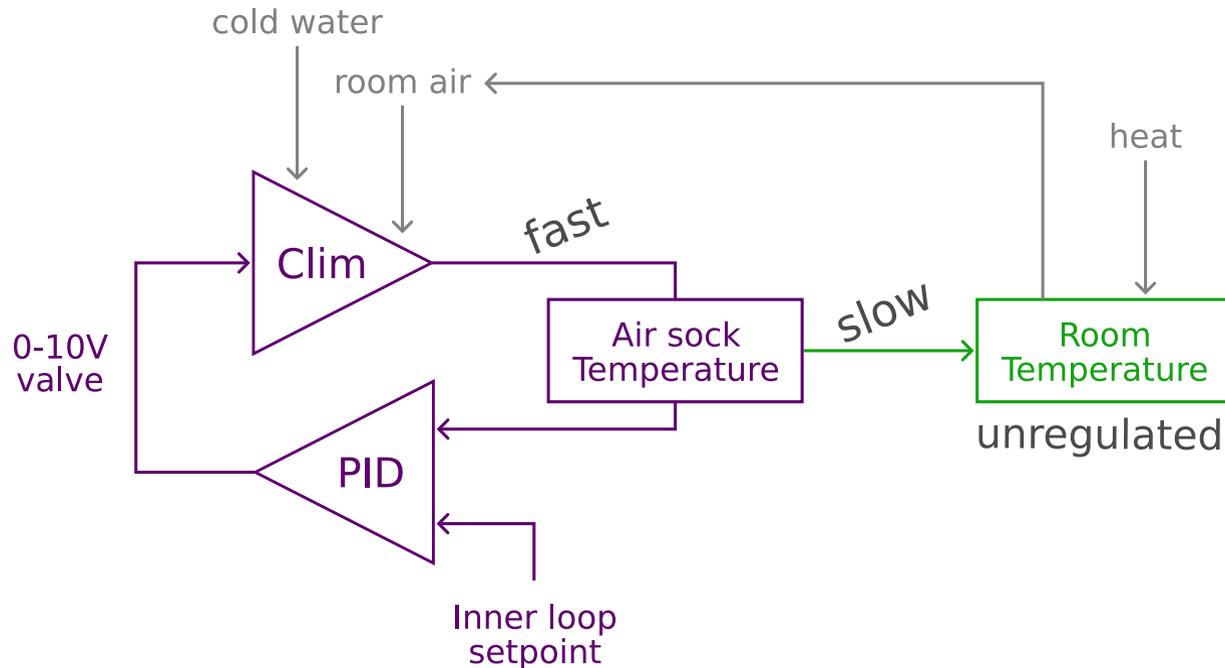
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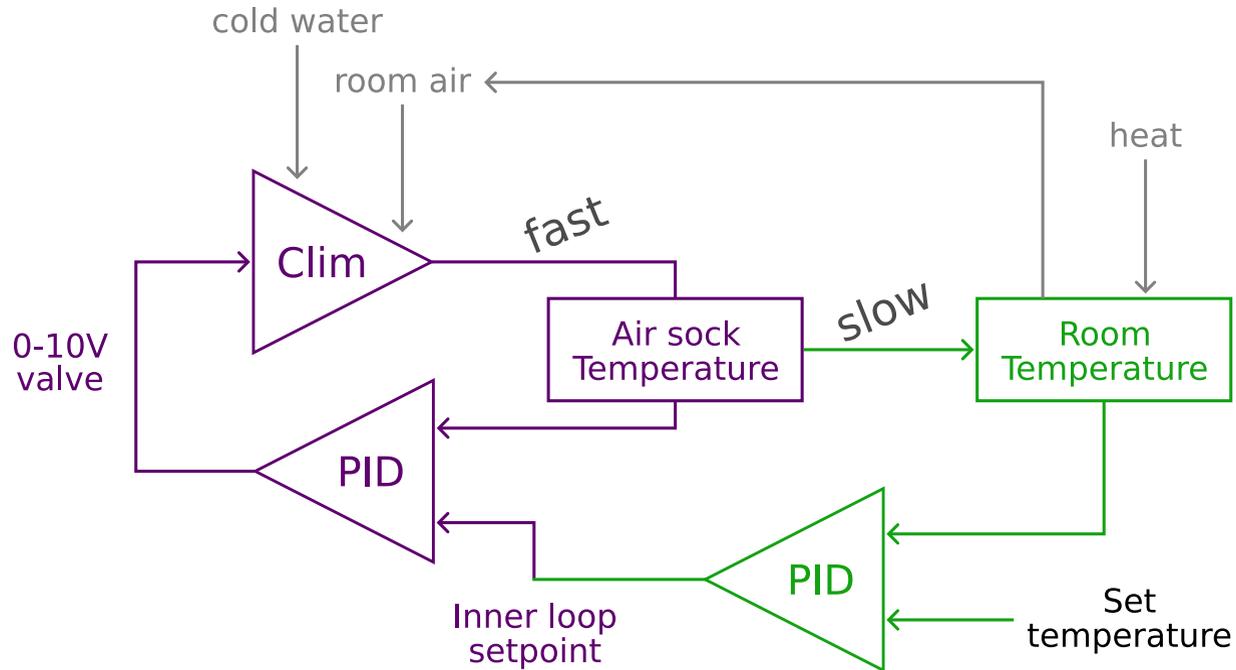
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1. Inner, fast feedback loop, acting on the valve ($\tau \approx 300$ s, faster would be doable)

→ General rule in regulation theory : *act / reject perturbations as early as possible.*

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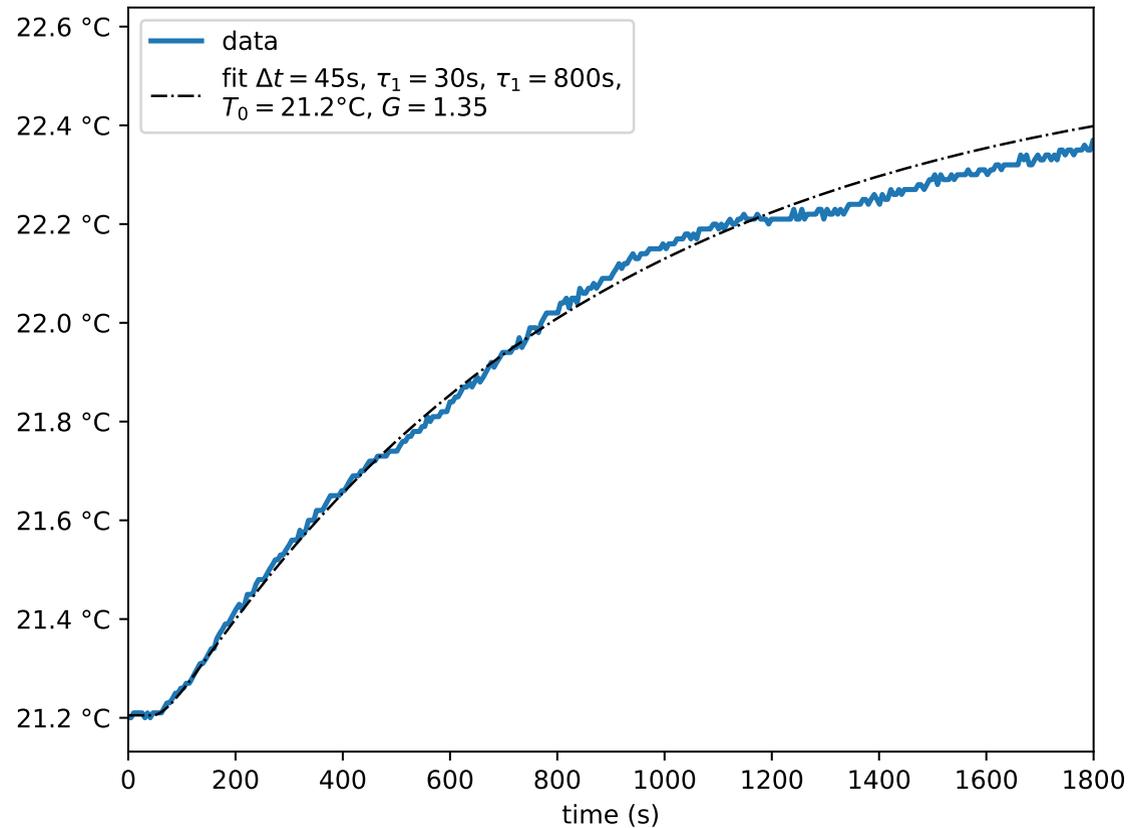


1. Inner, fast feedback loop, acting on the valve ($\tau \approx 300$ s, faster would be doable)
2. Outer, slow feedback loop, acting on the inner setpoint ($\tau \approx 1000$ s)

Nested loops :

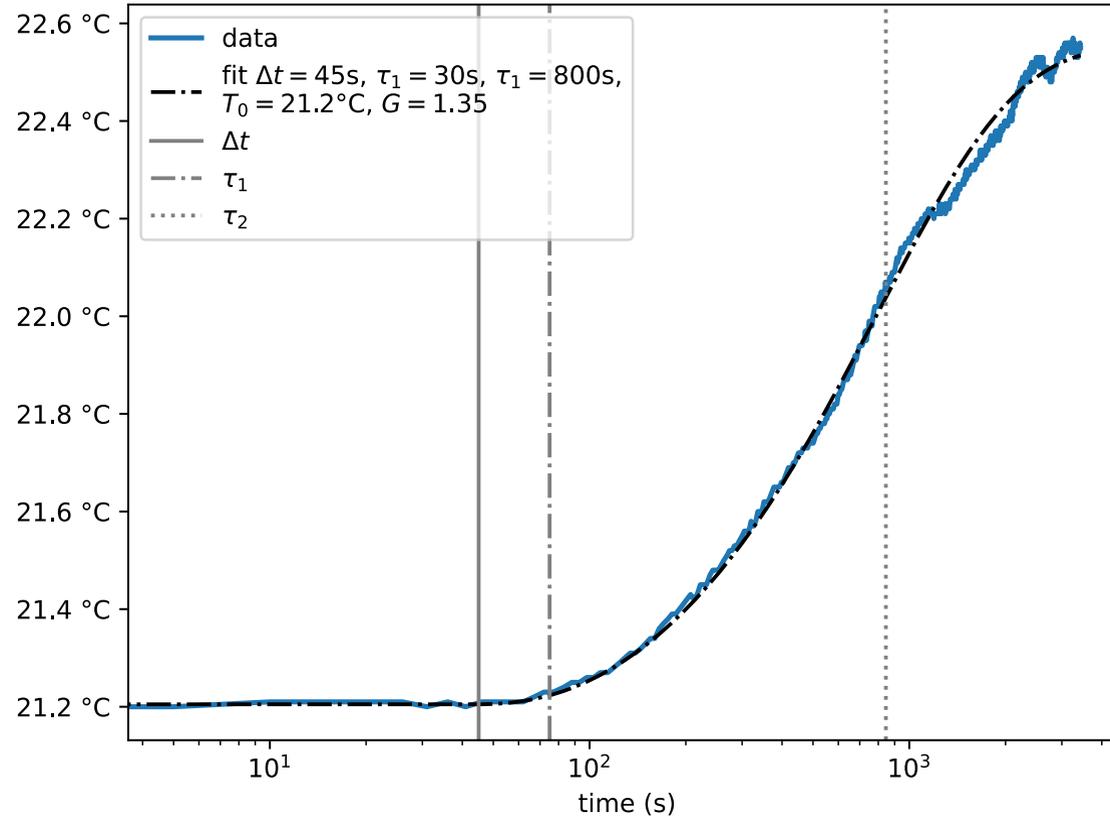
- + fast and efficient rejection of cold water / air re-intake temperature fluctuations
- + seems easier to do it in two steps
- + the inner loop can be optimized more quickly; and then serves as a *linear* system for the outer loop
 - more parameters to optimize
 - needs two temperature probes
 - poorly tuned nested loops $<$ single loop : if the inner loop has some resonance (even small), it can be excited by the outer loop; if the inner loop is too slow, this can make the outer loop unstable...

Step response (-1 V on the valve servomotor) :



→ Delay Δt * short τ_1 exponential response * long τ_2 exponential response

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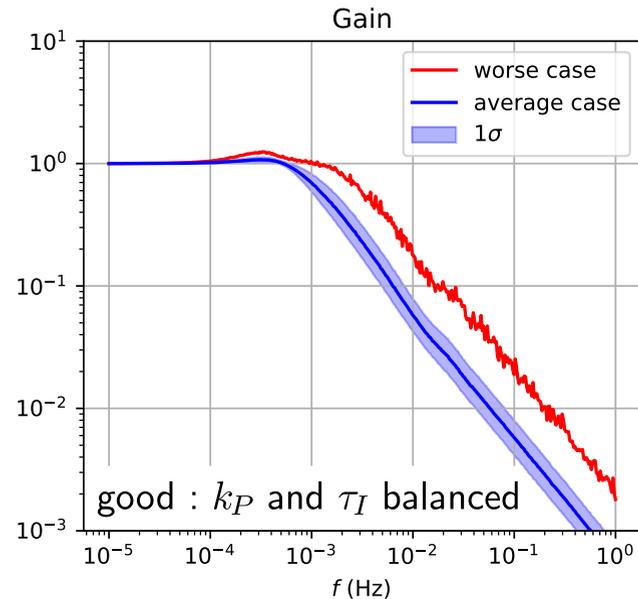
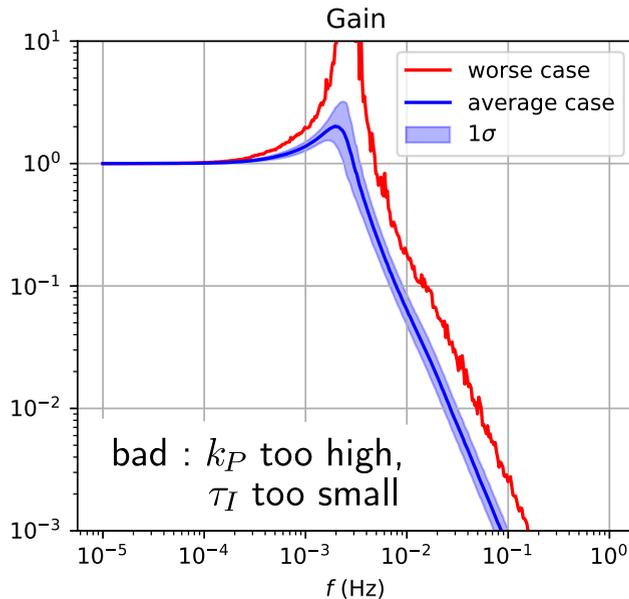
→ Delay Δt * short τ_1 exponential response * long τ_2 exponential response. Model :

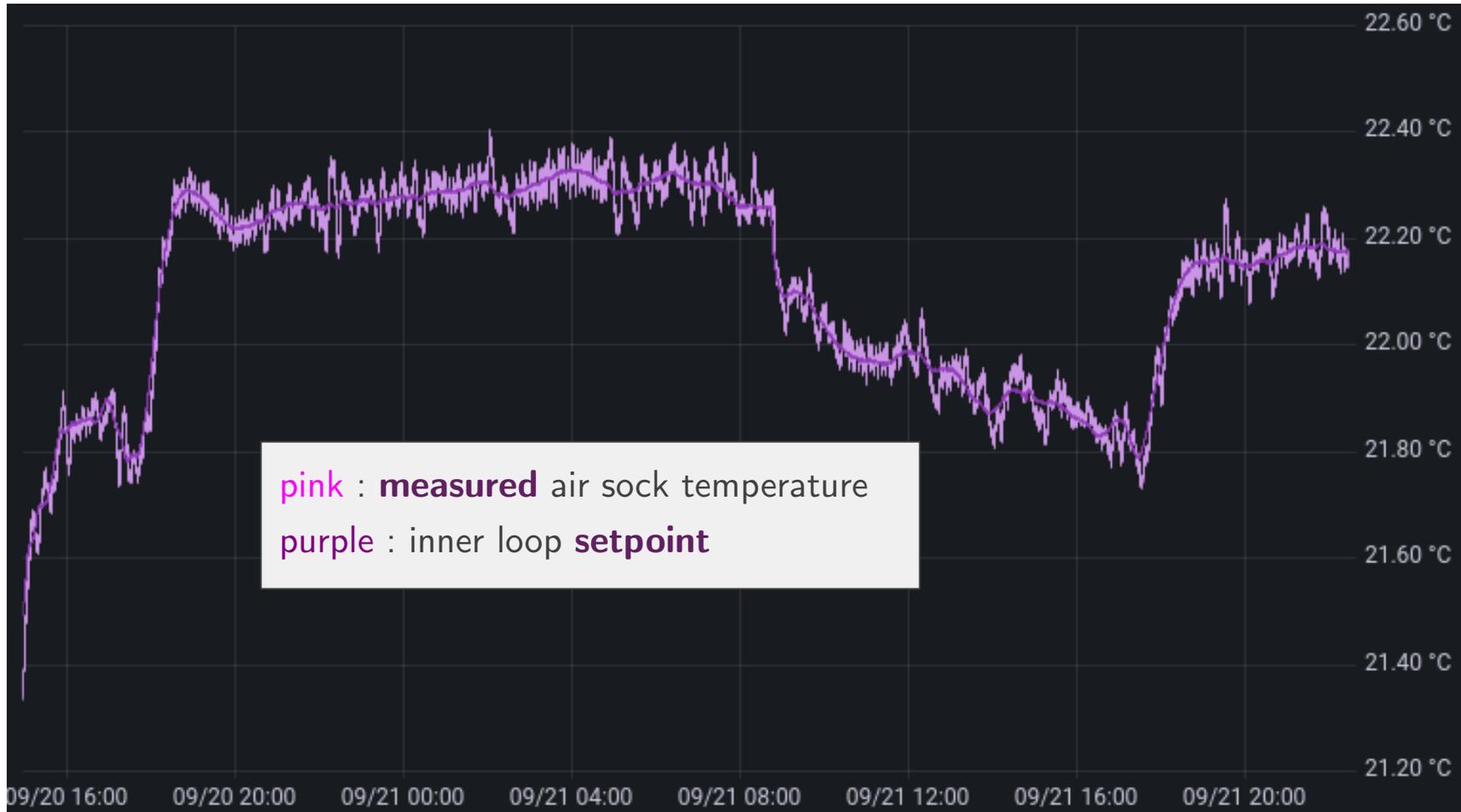
$$H_{\text{airsock}}(p) = G \cdot e^{-p\Delta t} \cdot \frac{1}{1 + \tau_1 p} \cdot \frac{1}{1 + \tau_2 p}$$

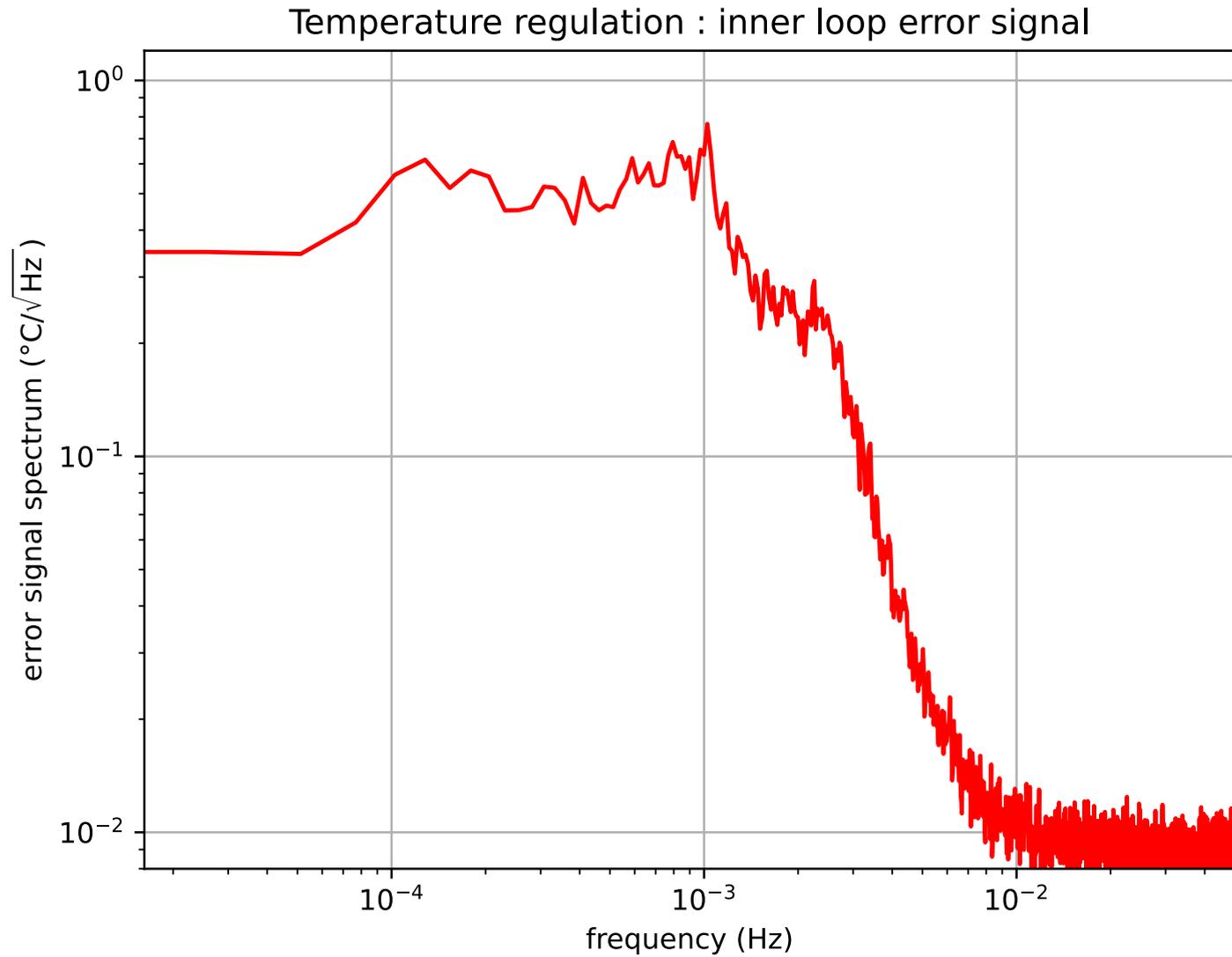
→ Closed loop transfer function :

$$\text{CLTF}(p) = \frac{\text{OLTF}(p)}{1 + \text{OLTF}(p)}, \quad \text{OLTF}(p) = \overbrace{\left(k_P + \frac{1}{\tau_I p} + \tau_D p \right)}^{\text{PID}} \cdot H_{\text{airsock}}(p)$$

→ Bode diagram of $\text{CLTF}(p)$, with Δt , τ_1 , τ_2 , G random around the central values :







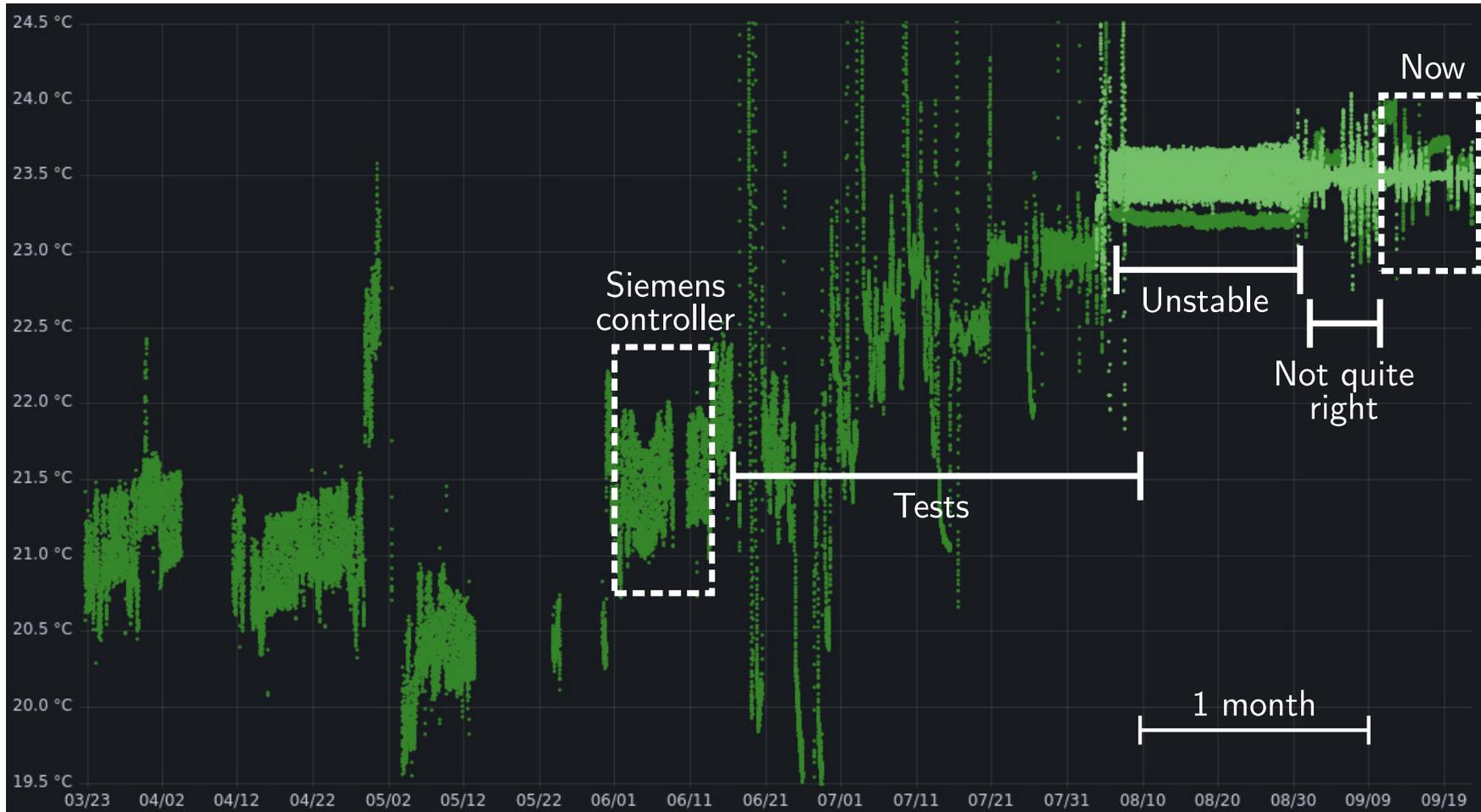
- Same procedure can be done : step function on the inner loop setpoint
- Was not done : educated guess is enough



Two sensors for the science table



Science table temperatures :



- Tuning can still be improved
- More modern approaches (MIMO state representation)
- Is it worth it ? (spatial temperature variations $>$ regulation precision)
- Averaging over several sensors ?

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- More modern approaches (MIMO state representation)
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- Electronics service : will design a proper module
- For urgent temperature stabilization needs, I can help. Code and notebooks available.
- Of course, diagnosis needed before any intervention.